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Mean Flow Characterization of Swept Shock/Turbulent Boundary Layer Interactions Induced by an Impinging Oblique Shock

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#### Acknowledgements:

Dr. Jesse Little

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Dr. Sathyan Padmanabhan

Max Vitols

Aaron Riley

AME Machine Shop

AFRL





# Background

- Ferri (1939) was one of the first researchers to observed SBLI
- Shock/Boundary Layer Interactions (SBLI) are relevant in many applications
  - Control surfaces
  - Wings
  - Inlets and isolators
- Associated with:
  - Low frequency pressure fluctuations
  - Increased heat transfer
  - Flow separation



Ramp(2-D)

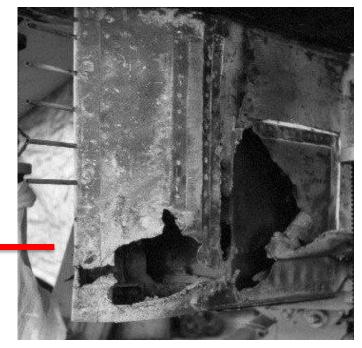
Single-fin

Swept ramp

Double-fin

https://aapl.fsu.edu/projects/fsu-nal.html

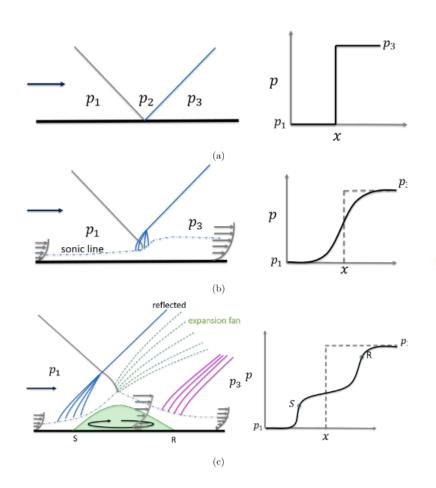
Gaitonde (AIAA 2013)



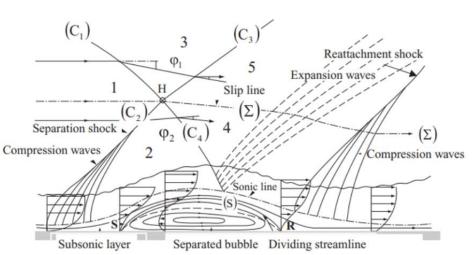
Thompson, M. O. (2013). At the edge of space: The X-15 flight program. Smithsonian Books.



## **Shock Boundary Layer Interaction Features**



Padmanabhan (2023)



Delery and Dussauge (2009)

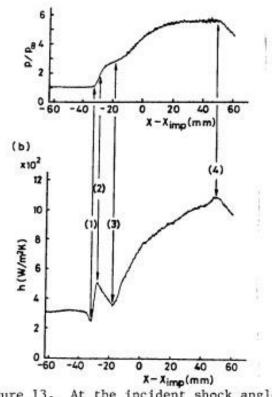


Figure 13. At the incident shock angle 22.1°

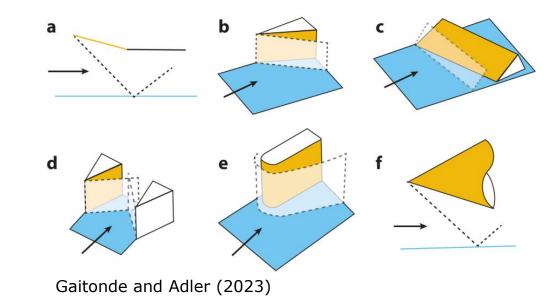
(a) pressure distribution (b) heattransfer coefficient distribution

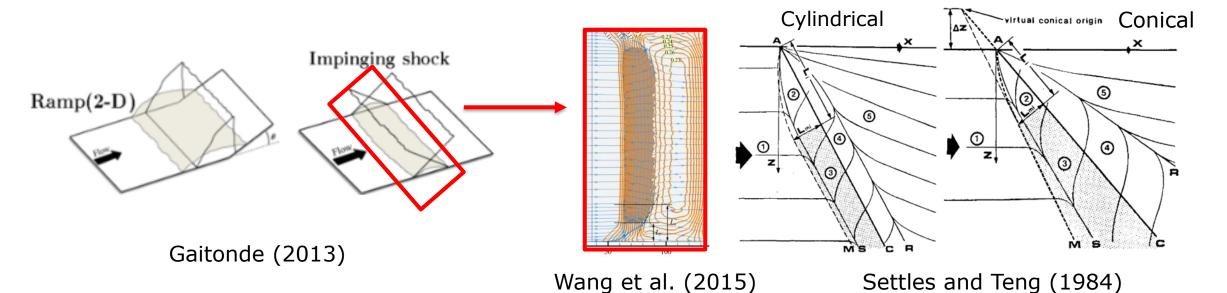
Hayashi (1986)



#### 2-D vs 3-D Interactions

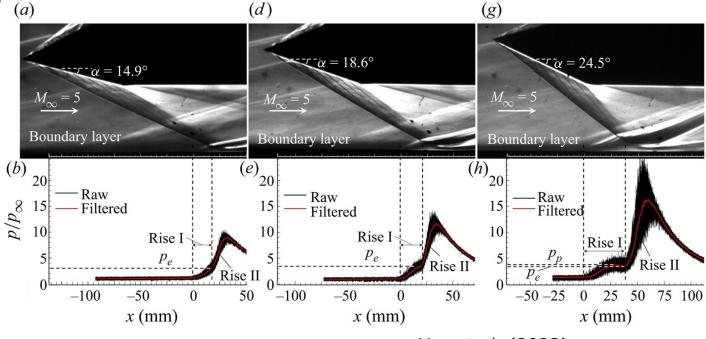
- 2-D interactions are constant in the zdirection
- 3-D interactions add a spanwise component of velocity
- Cylindrical vs conical interactions
  - Separation and reattachment lines are parallel for cylindrical interactions, and diverge for conical interactions





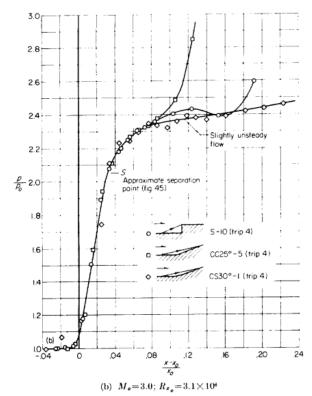


# 2-D Interactions

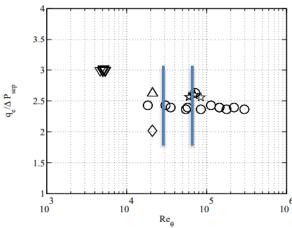


Xue et al. (2023)

- Dimensionless geometries used to systematically study interactions
- Different aspects of flow that have been studied include:
  - Strength of pressure gradient
  - Mach number
  - Reynolds number
  - Boundary layer state
  - Interaction configuration
- Chapman et al. (1958) proposed Free Interaction Theory



Chapman et al. (1958)

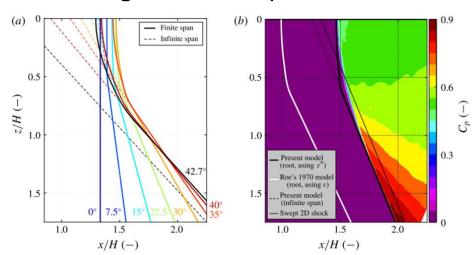


Souverein et al. (2013)

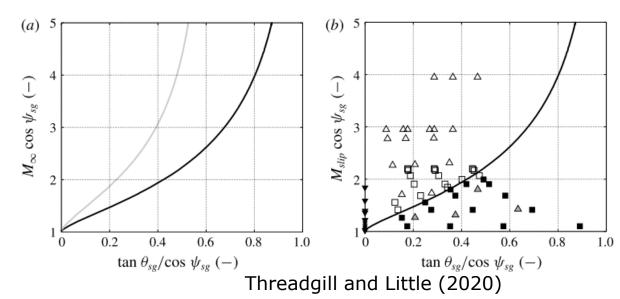


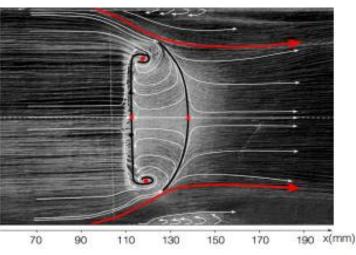
#### **3-D Interactions**

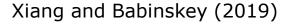
- Settles and Teng (1984) attempted to determine a criterion for if flow will be cylindrically or conically separated
- Sidewall and shock generator tip effects can affect if this region is large enough for 3-D interactions
- Vanstone et al. 2018 argues inception region is larger for weakly separated flow
- Current investigation has sidewall and shock generator tip effects

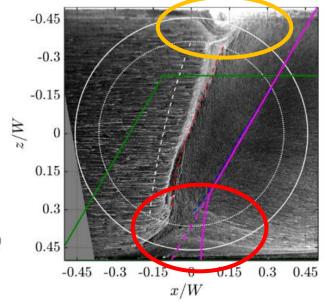


Threadgill and Little (2020)









Padmanabhan (2024)

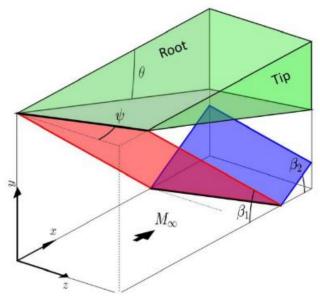


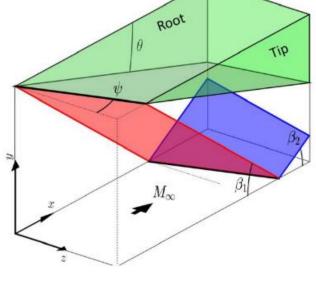
# **Swept Impinging Oblique SBLI**

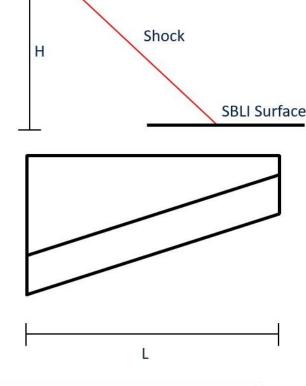
- Aspect ratio determines if the span is large enough to get useful data from the flow
- Work by Vitols (2024) attempted to isolate the effect of sweep for swept impinging SBLI
  - Accomplished by making normal pressure rise across shock constant

$$C_{p_n} = \frac{2}{\gamma M_{\infty}^2 cos^2 \psi} \left( \frac{p}{p_{\infty}} - 1 \right)$$

- Unit Reynolds number held constant at  $9.99 \times 10^6 \, 1/m$
- Mach number of 2.3
- Mean pressure, oil flow visualization, and heat flux to characterize mean flow topology
- Aspect ratio (AR) of 2.33







Threadg	ıill a	and	Little	(2020)
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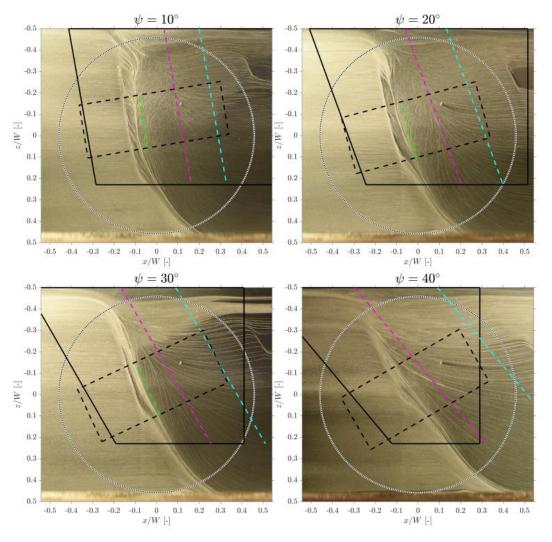
Mach,	Pressure	x-z shock generator sweep angle, Ψ						
M	Coeff., Cpn	0°	10°	20°	30°	40°		
	0.4	8.04°	7.83°	7.22°	6.20°	4.80°		
2.3	0.6	10.64°	10.37°	9.59°	8.26°	6.36°		
	0.8	12.73°	12.42°	11.48°	9.84°	7.37°		



# **Swept Impinging Oblique SBLI**

- Studying  $C_{p_n}$  rather than  $C_p$  shown to collapse the data between sweep cases
- Flow remains attached for some sweep value between 30° and 40° sweep
- Interactions shown to be conical

		-	
$\overline{\psi}$	10°	20°	30°
Separation	9°	15°	22°
Reattachment	10°	18°	29°



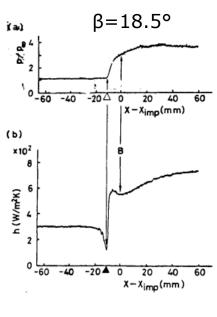
 $\Box$   $\overset{0.2}{\circ}$   $\overset{0.15}{\circ}$ 0.1 0.05  $\Box$  $C_{p_n}$ 0.150.1

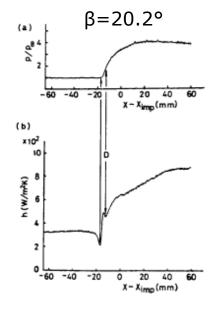
Vitols (2024)

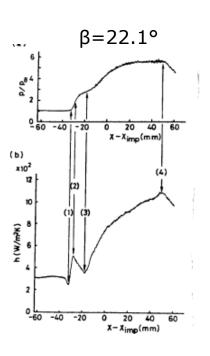
Vitols (2024)

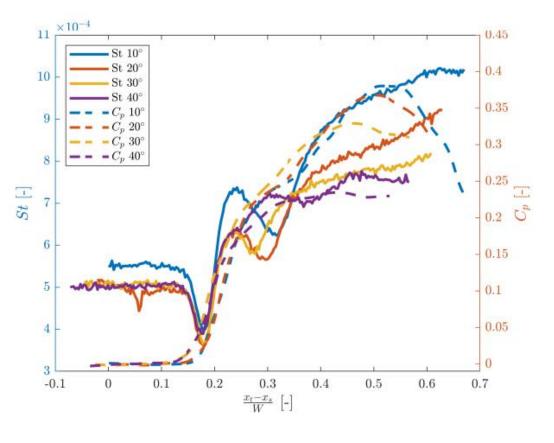


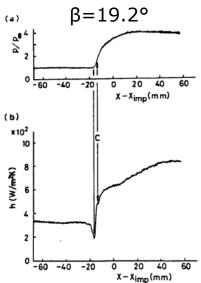
## **Swept SBLI Heat Flux Measurements**

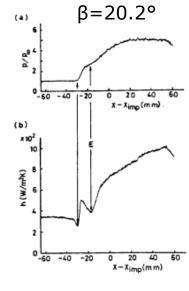












Vitols (2024)



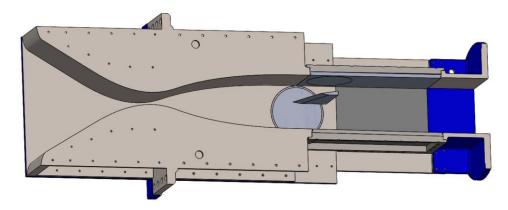
# Testing Matrix

- Testing in APWT conducted at:
  - Mach 2.1 and 3.0
  - 20° and 40° sweep cases
  - $C_{p_n} = 0.6$  and 0.41 for one case
  - AR = 2.75
- Reynolds numbers between  $2.75 \times 10^{7} \, ^{1}/_{m}$  and  $5.25 \times 10^{7} \, ^{1}/_{m}$  for all cases
- Mean flow characterization using:
  - Infrared thermography
  - Oil flow visualization
  - Mean pressure measurements
- Supporting tests conducted in ISWT had the following properties:
  - Mach 2.3
  - 20° and 40° sweep cases
  - $C_{p_n} = 0.6$
  - AR = 2.33

Mach,	Pressure	X-2	x-z shock generator sweep angle, ψ							
М	Coeff., C <sub>pn</sub>	0°	10°	20°	30°	40°				
	0.4	7.50°	7.29°	6.66°	5.63°	4.21°				
2.1	0.6	9.96°	9.69°	8.87°	7.49°	5.47°				
	0.8	11.91°	11.57°	10.55°	8.76°	-				
	0.4	9.27°	9.07°	<b>8.49°</b>	7.52°	6.17°				
3.0	0.6	11.98°	11.74°	(11.04°)	9.86°	8.18°				
	0.8	14.20°	13.94°	13.15°	11.79°	9.81°				
	0.4	10.04°	9.86°	9.33°	8.44°	7.18°				
4.0	0.6	12.63°	12.43°	11.81°	10.77°	9.29°				
	0.8	14.76°	14.54°	13.86°	12.70°	11.03°				

$M_{\infty}$	2	.1	3.0			
$\psi$	20	40	20		40	
$C_{p_n}$	0.6	0.6	0.4	0.6	0.6	
Oil	✓	✓				
Mean Pressure	✓	✓	✓*	✓	✓	
IR	✓	✓	✓	✓	✓	

<sup>\*</sup>Mean pressure data for this case is more course than other cases.



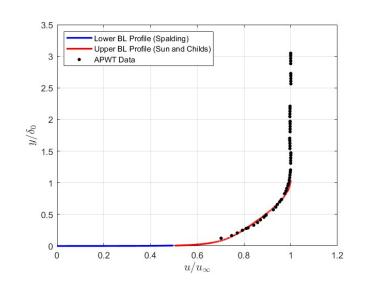


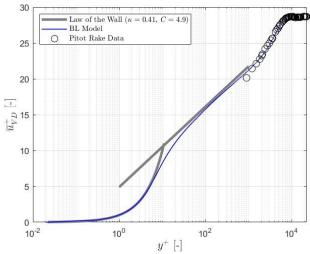
# **Boundary Layer Characterization**

- Velocity profile determined using Rayleigh Pitot tube formula and the Crocco-Busemann temperature-velocity relationship
- Sun and Childs (1973) method used for upper profile and Spalding (1970) for lower profile
- Boundary layer of SBLI surface in APWT characterized as fully turbulent

Tunnel	$M_{\infty}$ [-]	$u_{\infty}[\frac{m}{s}]$	$\delta \ [\mathrm{mm}]$	$\delta^*$ [mm]	$\theta \; [\mathrm{mm}]$	H [-]	$C_f$ [-]	$Re_{\infty}/L\left[\frac{1}{m}\right]$
APWT	2.07	516	15.25	5.58	1.01	5.50 (1.3)	$3 \times 10^{-3}$	$2.80 \times 10^{7}$
ISWT	2.28	554.8	6.53	2.03	0.56	3.66 (1.39)	$2.00 \times 10^{-3}$	$9.99 \times 10^{6}$

$$\frac{\bar{T}}{T_{\infty}} = \frac{T_w}{T_{\infty}} + \left[1 + r\frac{\gamma - 1}{2}M_{\infty}^2 - \frac{T_w}{T_{\infty}}\right] \frac{\bar{u}}{u_{\infty}} - r\frac{\gamma - 1}{2}M_{\infty}^2 \left(\frac{\bar{u}}{u_{\infty}}\right)^2$$





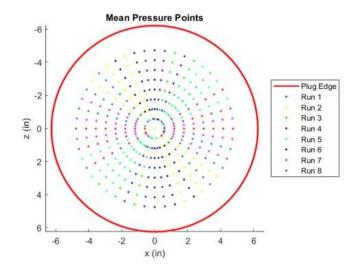






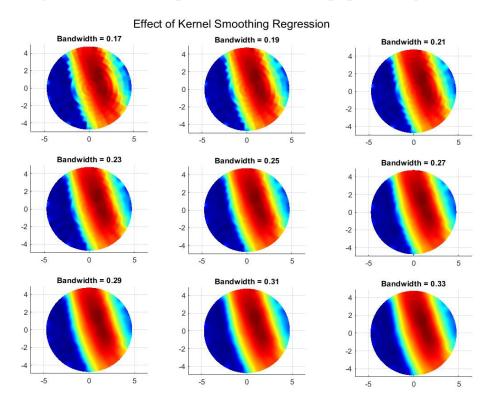
#### **Mean Pressure Setup**

- 8 total runs to map entire plug
  - 47 sensors per run for 369 data points
- Results mapped to a grid and smoothed with Gaussian kernel smoothing
  - Kernel value of 0.3 chosen
- Interpolated results provide initial pressure rise line by using a threshold of  $C_{p_n} = 0.03$ 
  - All other data take only from data points



$M_{\infty}$ [-]	2	.1	3.0			
ψ [°]	20	40	20		40	
$p_0$ [psi]	45	45	90		88	
$\frac{Re}{L}^* \left[\frac{1}{m}\right]$	$4.05 \times 10^{7}$	$3.96 \times 10^{7}$	$8.40 \times 10^7$ $8.31 \times 10^7$		$7.93 \times 10^{7}$	
$C_{p_n}$ [-]	0.6	0.6	0.4	0.6	0.6	
$C_p$ [-]	0.5298	0.3521	0.3532	0.5298	0.3521	
$\theta_{sg}$	8.87°	5.47°	8.87°	11.04°	8.18°	

<sup>\*</sup>Reynolds numbers averaged over run due to changing total temperature.

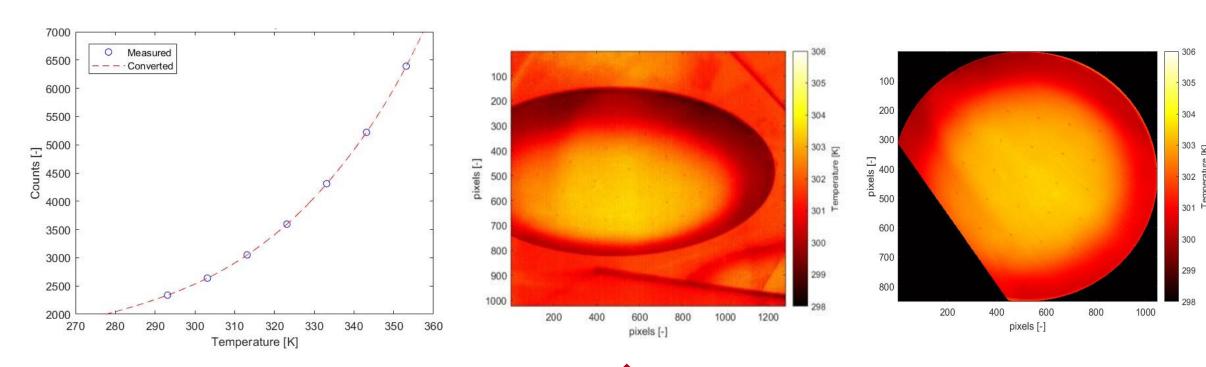




# **Infrared (IR) Thermography Setup**

- Camera put through three calibrations:
  - Sensor calibration
  - Experimental calibration
  - Sensor drift correction
- Experimental calibration uses Planck's Law to convert counts to radiance

- IR camera looks through sapphire window to PEEK plug
- Rataczak et al. (2021) and Franklin et al. (2024) show that PEEK can be assumed opaque
  - Temperature measured by camera is assumed to be true surface temperature





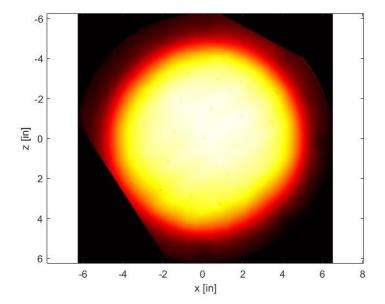
# **Infrared Thermography Setup**

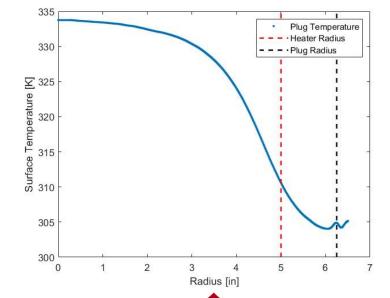
- Heater used to improve signal-tonoise ratio
- 1-D heat transfer equation used to solve heat flux and Stanton number
  - Heat transfer is really 2-D

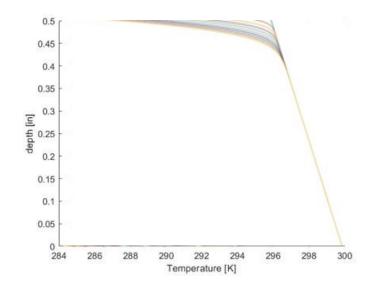
PEEK Heater		<u> </u>
_		

$M_{\infty}$ [-]	2.1					3.0	
ψ [°]	20		4	0	2	40	
$p_0$ [psi]	30	30 50		50	100	100	100
$C_{p_n}$ [-]	0.6	0.6	0.6	0.6	0.4	0.6	0.6
$C_p$ [-]	0.5298	0.5298	0.3521	0.3521	0.3532	0.5298	0.3521
$\theta_{sg}$	8.87°	8.87°	5.47°	5.47°	8.87°	11.04°	8.18°
	Unheated	Unheated	Unheated	Unheated			
	30	30	30	30	30	30	30
$T_w$ [K]	50	50	50	50	50	50	50
	80	80	80	80	80	80	80
	100	100	100	100			

<sup>\*</sup>Reynolds numbers averaged over run due to changing total temperature.



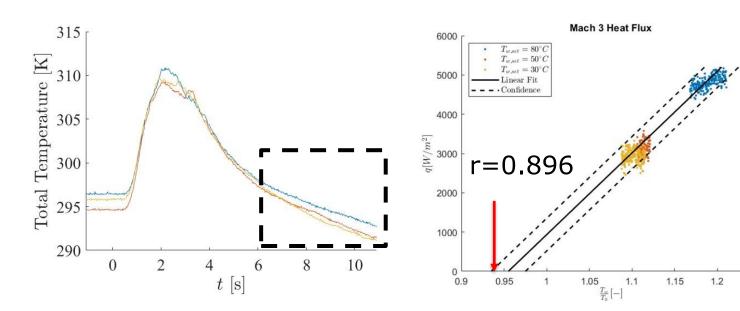


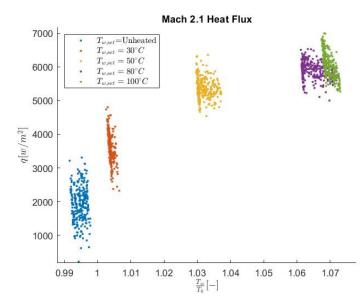


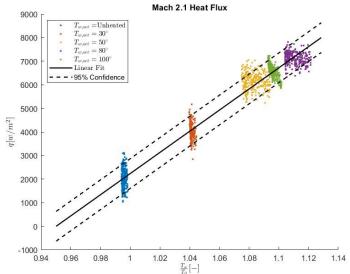


# **Adiabatic Wall Temperature**

- Multiple temperatures utilized to get adiabatic wall temperature
- Adiabatic wall temperature determined from extrapolating temperature ratio that results in zero heat flux
- Mach 2.1 data missing total temperature
  - Total temperature for each test estimated using a recovery factor of 0.896 in the boundary layer
- Recovery factor found to be 0.91 for Mach 3.0



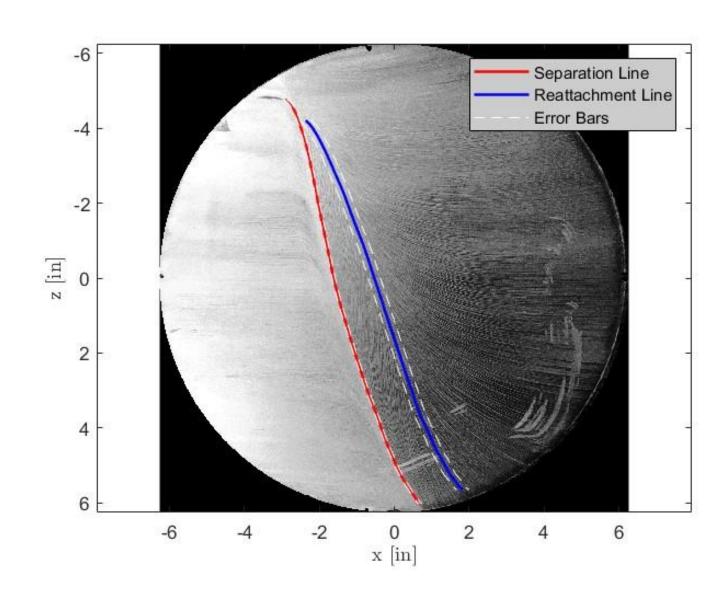






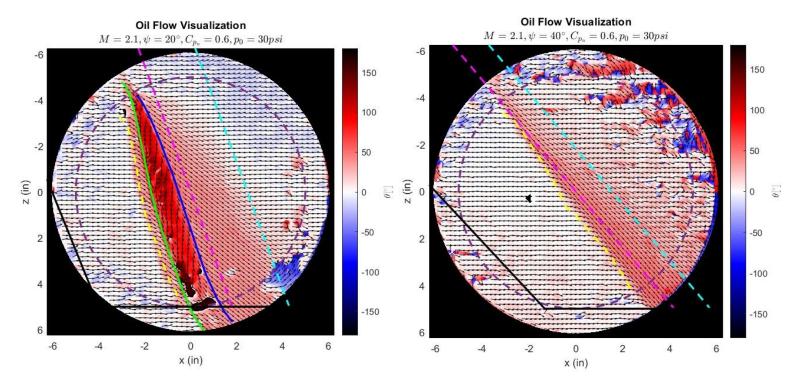
# Oil Flow Visualization

- Mixture of kerosene, TiO<sub>2</sub>, and oleic acid
- Oil flow conducted for Mach 2.1 flow, 20° and 40° sweep cases
- Two methods to study results
  - Hand picked points
  - Streak evaluation



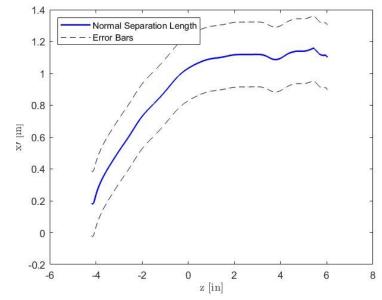


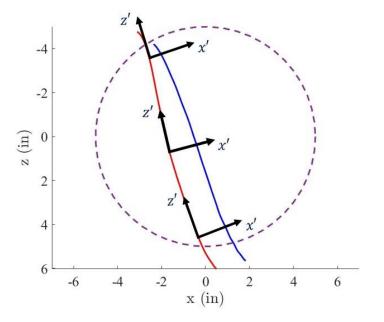
# **Oil Flow Results**





- Interaction becomes cylindrical around center of tunnel
- No sign of separation for 40° sweep
  - Expansion fan for this case is considerably closer than other cases

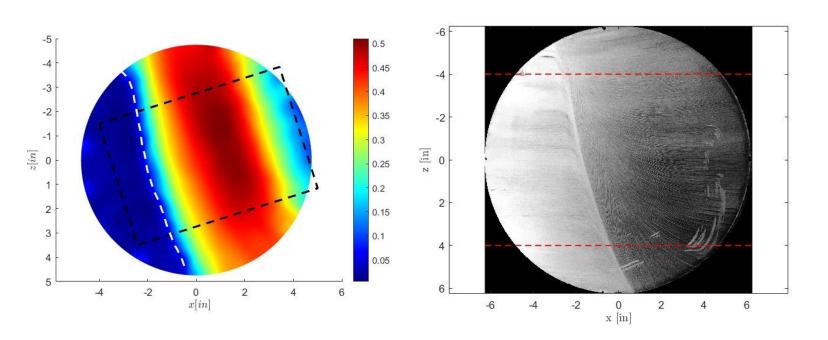


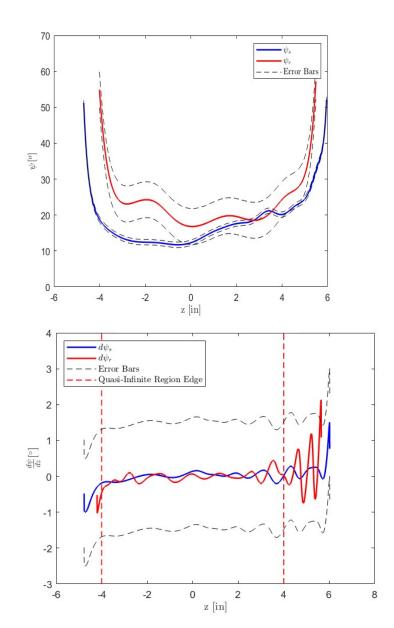




# **Region of Interest (ROI)**

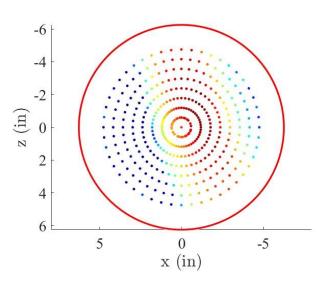
- Determined using mean pressure and oil flow results
  - Initial pressure rise used to determine angle of region
  - Oil flow determines maximum and minimum z values

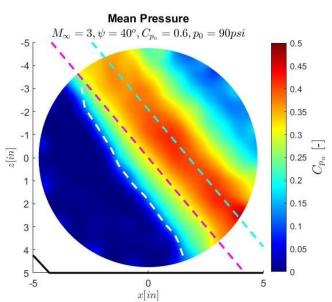


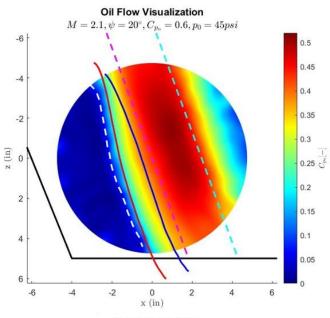


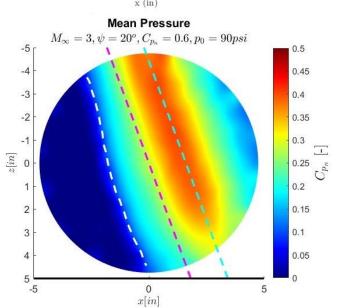


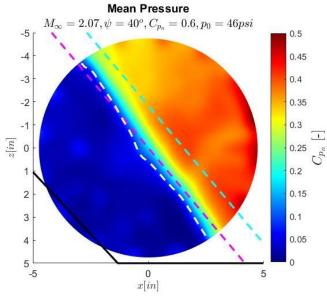
#### **Mean Pressure**

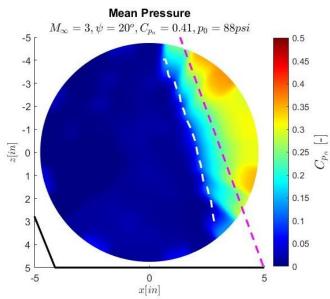






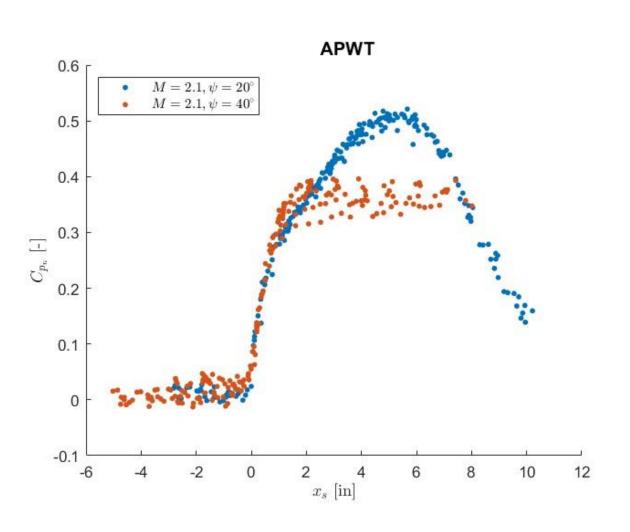


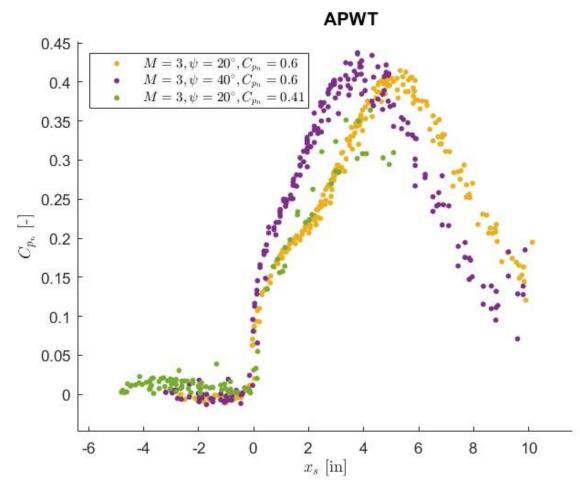






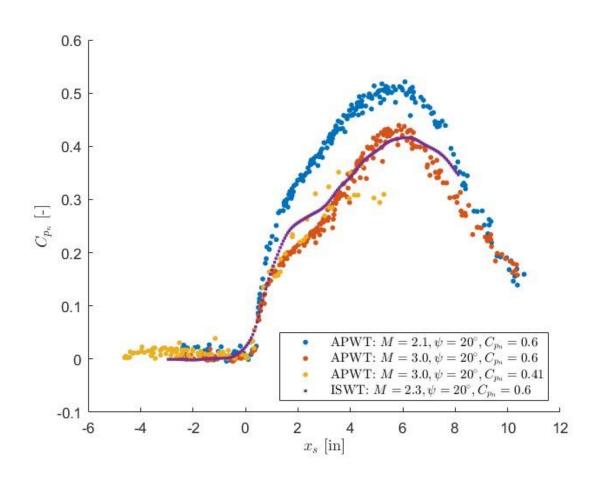
## **Mean Pressure Distribution: Constant Mach Number**

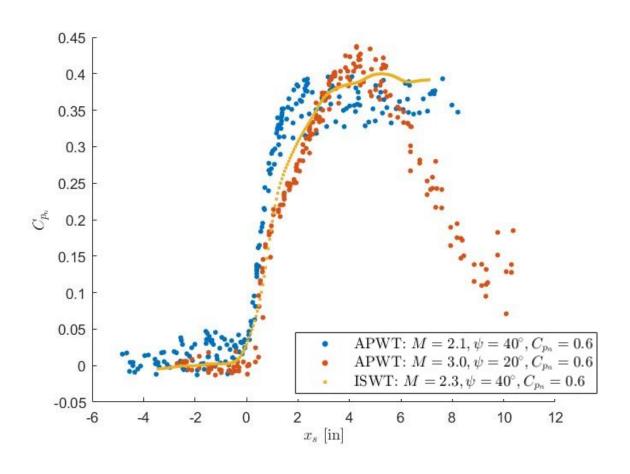






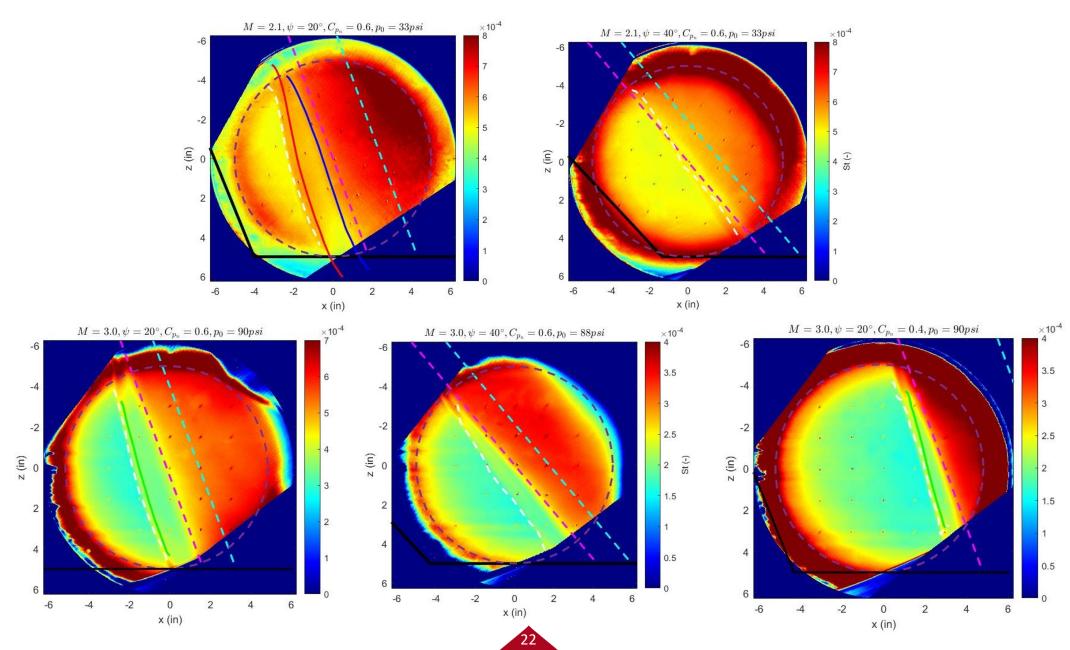
# **Mean Pressure Distribution: Constant Sweep**







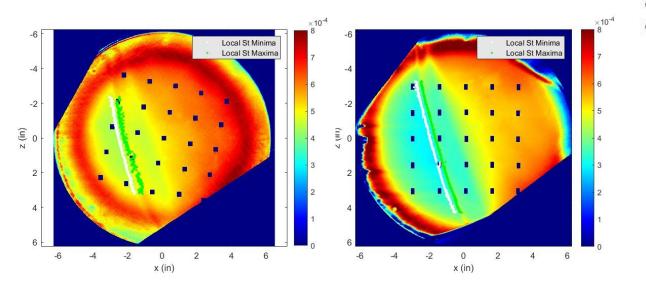
# **Infrared Results**

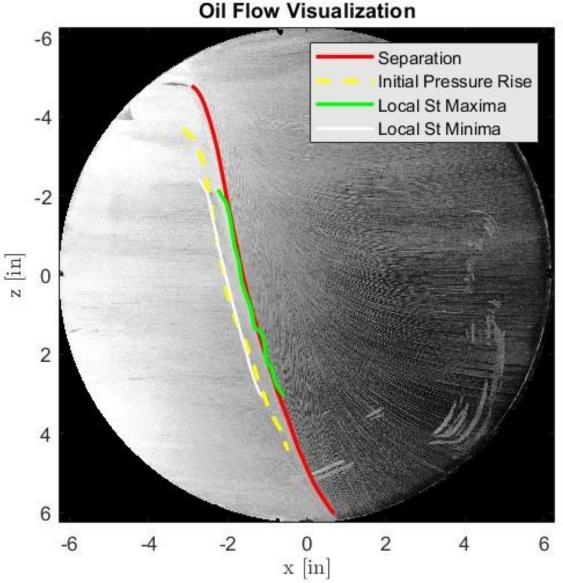




#### **Initial Pressure Rise and Separation from Stanton Number**

- Initial pressure rise and separation are extracted by plotting local minima and maxima
- Results show good agreement with oil flow (separation) and mean pressure (initial pressure rise)

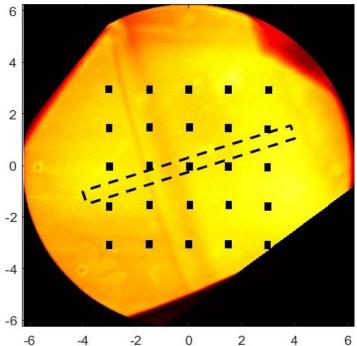


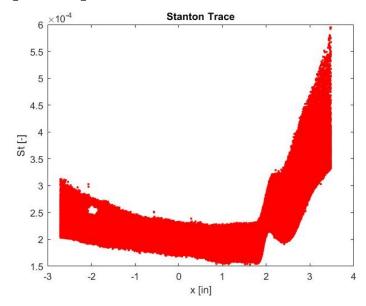


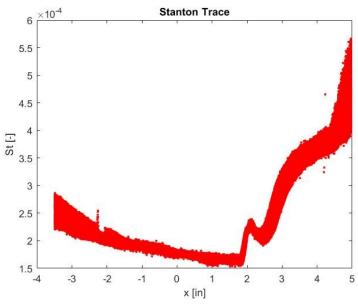


## **Region of Interest (ROI)**

- ROI for to get Stanton number distribution is slightly different than mean pressure ROI
  - Only the center of mean pressure ROI used to avoid loss of features in Stanton number distribution
- Stanton number trace line determined using Gaussian kernel regression through points

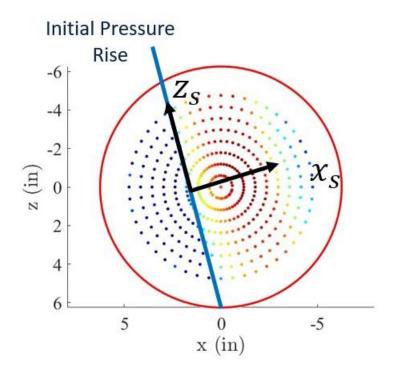


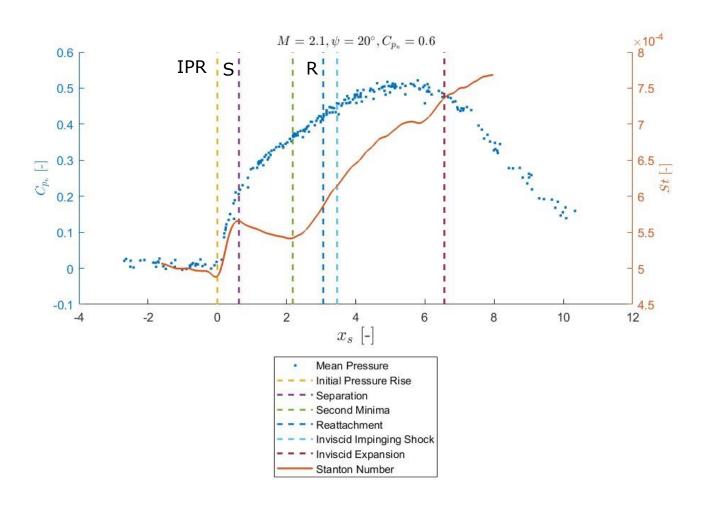






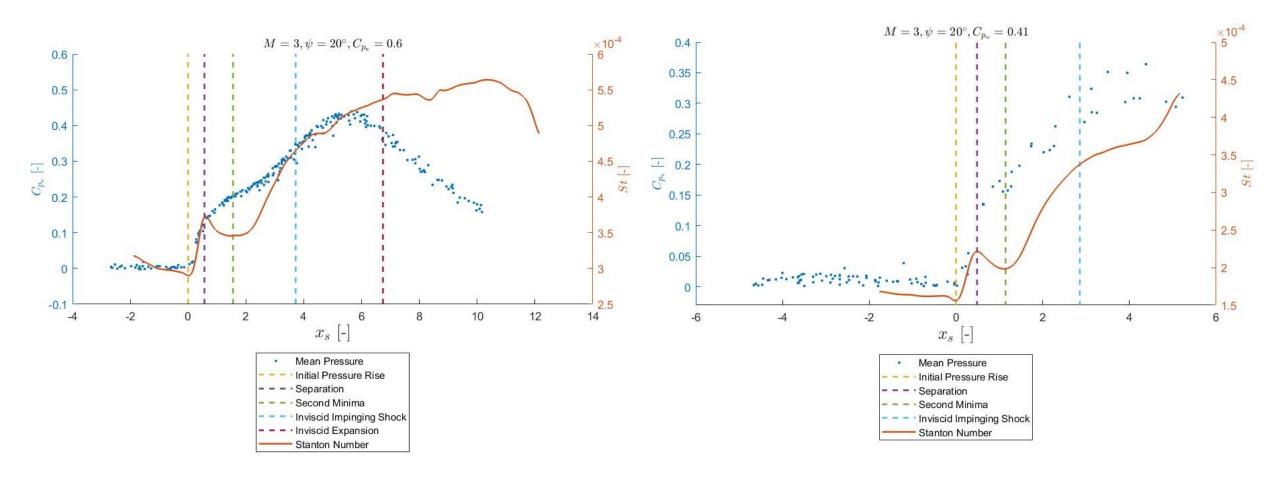
# **Stanton number and Mean Pressure Distribution Comparison**





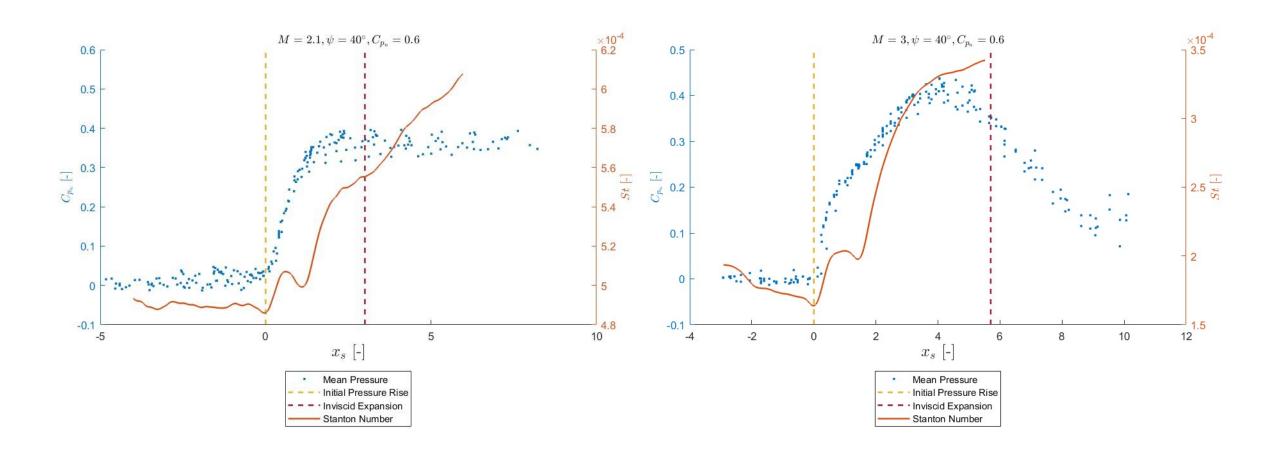


# **Stanton number and Mean Pressure Distribution Comparison**





# **Stanton number and Mean Pressure Distribution Comparison**







- Increase in Mach number decreases the initial pressure rise for similar sweep cases.
- Changing only the  $C_{p_n}$  appears to also show similar pressure rise for the initial part of the separated region which is in agreement with Free Interaction Theory.
- The boundary layer at the designed  $C_{p_n}=0.6$  is separated for a 20° sweep and attached for the 40° case
  - Threshold for separated flow likely over 30° based on data from ISWT
- Reynolds number has no discernable effect on the interaction which is consistent with results found by Souverein et al. (2013)
- Increasing aspect ratio suggests flow becomes cylindrical given large enough span.
- Scaling with the boundary layer height allows for comparison between ISWT and APWT.





Questions

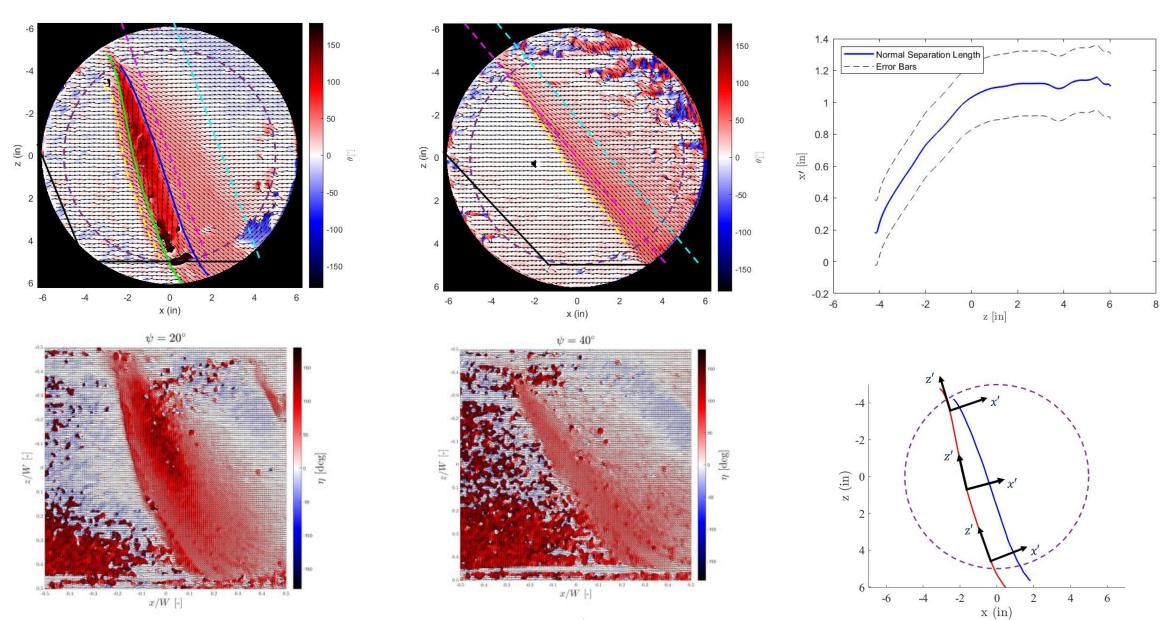




Backup Slides

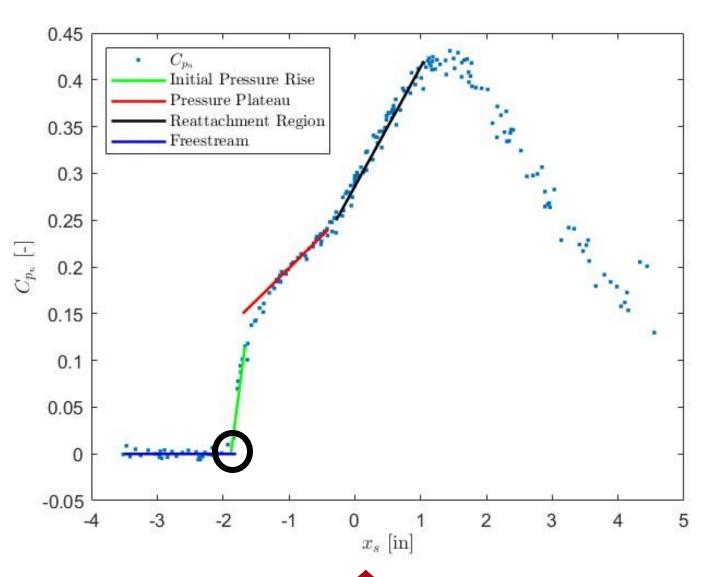


## **Oil Flow Results**





## **Determination of Initial Pressure Rise Location**





# **Initial Pressure Rise and Separation Comparison**

